

# Neural Networks-An introduction

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## Neurons in Biology to Artificial Neural Networks(ANNs)

- Human brain cells, called neurons, form a
  - complex,
  - highly interconnected network and
  - send electrical signals to each other to help humans process information.
- Similarly, an ANN is made of artificial neurons that work together to solve a problem.



#### What are they used for?



## Computer vision: Extract information from images and videos

- In self-driving cars, to recognize road signs and other road users
- Inappropriate content removal from websites
- Facial recognition
- Image labelling to identify different objects



## Speech recognition: Analyze human speech despite variations

Automatically classify calls at call centers Convert clinic calls into documented text Subtitle generation for videos and meetings

#### What are they used for? (Contd.)





Natural language processing: Process natural, human-created text

Automation of virtual agents and chatbots Analysis of emails and long forms Distinguish positive and negative content Organize and classify data Recommendation engines: Develop personalized recommendations based on behaviors

Personalized recommendations on Netflix, YouTube, Google and many other websites

Convert social media posts into sales using automatically tagged products

#### Input layer

- Information from the outside world enters the artificial neural network from the input layer.
- Input nodes process the data, analyze or categorize it, and pass it on to the next layer.



• Hidden layers take their input from the input layer or other hidden layers.

Hidden layers

- Artificial neural networks can have many hidden layers.
- Each hidden layer analyzes the output from the previous layer, processes it further, and passes it on to the next layer.





#### Output Layer

- Gives the result of all the data processed by the ANN.
- May have a single or multiple nodes.
- For instance, if we have a binary (yes/no) classification problem, the output layer will have one output node, which will give the result as 1 or 0. However, if we have a multiclass classification problem, the output layer might consist of more than one output node.

- 3 major parts:
  - Training: Make your neural network fit for the data.
  - Validating: check whether it is sufficiently fit.
  - **Testing**: Deploy it in the application and test its working.



### **Training neural networks**

- Supervised learning
  - Labelled dataset: The neural network knows the true answer for the purpose of training and validating
  - Classification and Regression
- Unsupervised learning
  - Unlabeled dataset: The neural network does not know the true answers even for training
  - It tries to group data based on similarity
  - Clustering
- Reinforcement learning
  - Generate dataset: The neural network has access to the environment and learns from mistakes with some partial feedback availability
  - Robot navigation



#### **Supervised Learning: The Regression Problem**



Regression: To predict a number from infinitely many possibilities



**Problem**: Given the above data, figure out a rough estimate for the price of a house that has 5000 square feet area. **Linear regression**: Consider f(x)=Wx+b and train the neural network to learn W and b based on given training data.

How can I do this? Start with a guess of W and b and try to update them with better W and b values. How to know which value is better?

# Cost function • Mean square error cost function $J(w,b) = \sum_{i=1}^{m} (\hat{y}^{(i)} - y^{(i)})^2 \int_{a}^{b} \frac{1}{2m}$

The closer is the loss value to 0, the better model we get. What if it's not close to 0?

min 
$$J(w,b)$$
  
 $W,b$ 

#### **Gradient Descent**



#### **Gradient descent algorithm**



Please provide your feedback for the last 3 sessions

https://forms.gle/xekicd7ctpVBcdHr8

Have a great rest of the year!

Questions QI- Find <u>JJ</u>(W,6). Dw  $\mathcal{G}_{2}$ - Find  $\frac{\partial J(\omega,b)}{\partial b}$ . Q3-Show the first iteration of linear regression for the following data: Start with an initial guess of W= land b= 3.

 $\frac{\text{Solutions}}{m} = \frac{1}{m} \sum_{i=1}^{m} (Wx^{(i)} + b - y^{(i)}) \cdot x^{(i)}$ 

$$\begin{array}{rcl}
\mathcal{A} \cdot \mathcal{A} & \rightarrow & \overrightarrow{\partial J} & = \frac{1}{900} & \overbrace{i=1}^{10} \left( \mathcal{W} \times ^{(i)} + \mathbf{b} - \mathcal{Y} ^{(i)} \right) \\
\mathcal{A} \mathcal{A} \cdot \mathcal{A} & \rightarrow & \mathcal{W} = (, \mathbf{b} = 3, \mathbf{a} = \frac{1}{9} \\
\mathcal{A}^{(i)} & = \mathcal{W} \times ^{(i)} + \mathbf{b} & \mathcal{Q}^{(i)} = \mathbf{x} ^{(i)} + 3 = \mathbf{0} + 3 = 3 \\
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#### **Gradient descent algorithm**

• 
$$w = w - \alpha \frac{\partial J(w,b)}{\partial w}$$
  
•  $b = b - \alpha \frac{\partial J(w,b)}{\partial b}$ 

•  $\alpha$  is the learning rate

Please leave feedback at this link:

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